

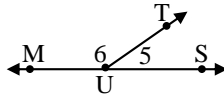
**On a separate paper, write a two-column proof for each problem 1-5. Follow the plan provided for help.**

- 1) Given:  $\overline{RT} \cong \overline{SU}$   
 Prove:  $RS = TU$



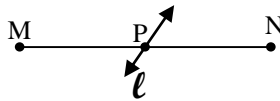
**Plan:** Use the definition of congruent segments to write the given information in terms of lengths. Next use the Segment Addition Postulate to write  $RT$  in terms of  $RS + ST$  and  $SU$  as  $ST + TU$ . Substitute those into the given information and use the Subtraction Property of Equality to eliminate  $ST$  and leave  $RS = TU$ .

- 2) Given:  $m\angle 5 = 47^\circ$   
 Prove:  $m\angle 6 = 133^\circ$



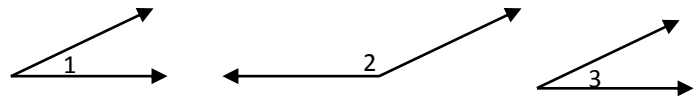
**Plan:** Use the Linear Pair Theorem to show that  $\angle 5$  and  $\angle 6$  are supplementary. Then use the definition of supplementary angles to show that their measures add up to  $180^\circ$ . Finally use substitution and then subtraction to arrive at the "Prove" statement.

- 3) Given:  $\ell$  bisects  $\overline{MN}$  at P  
 Prove:  $MP = PN$



**Plan:** Use the definition of bisect to show the two smaller segments are congruent. Then use the definition of congruence to show that their lengths are equal.

- 4) Given:  $\angle 1$  and  $\angle 2$  are supplementary;  
 $\angle 1 \cong \angle 3$   
 Prove:  $\angle 3$  and  $\angle 2$  are supplementary



**Plan:** Use the definition of supplementary angles and congruent angles to write the given information in terms of angle measures. Next use substitution to show that  $m\angle 3 + m\angle 2 = 180^\circ$ . Then use the definition of supplementary angles for the conclusion.

**Write a two-column proof for the given.**

- 1)

Given:  $O$  is the midpoint of  $\overline{MN}$   
 $OM = ON$   
 Prove:  $OW = ON$

- 2)

Given:  $AB = CD$   
 Prove:  $AC = BD$

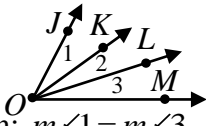
- 3)

Given:  $m\angle 1 = 90^\circ$   
 Prove:  $m\angle 2 = 90^\circ$

- 4)

Given:  $\angle 1$  and  $\angle 2$  are complementary  
 $\angle 3$  and  $\angle 2$  are complementary  
 Prove:  $m\angle 1 = m\angle 3$

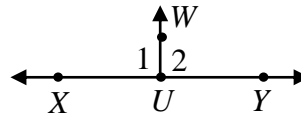
5)



Given:  $m\angle 1 = m\angle 3$

Prove:  $m\angle JOL = m\angle KOM$

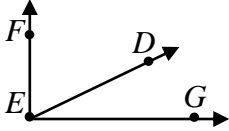
6)



Given:  $m\angle 1 = 90^\circ$

Prove:  $m\angle 2 + 90 = 180$

7)

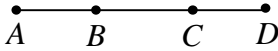


Given:  $\overline{EF} \perp \overline{EG}$

$D$  is in the interior of  $\angle FEG$

Prove:  $\angle FED$  and  $\angle DEG$  are complementary

8)



Given:  $\overline{AB} \cong \overline{CD}$

Prove:  $\overline{AC} \cong \overline{BD}$

9)

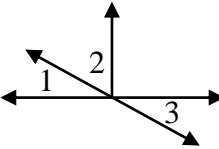


Given:  $\angle 1$  and  $\angle 2$  are supplementary

$\angle 1 \cong \angle 2$

Prove:  $\angle 1$  and  $\angle 2$  are right angles

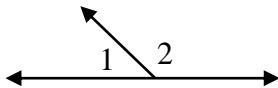
10)



Given:  $\angle 1$  and  $\angle 2$  are complementary

Prove:  $\angle 2$  and  $\angle 3$  are complementary

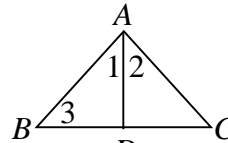
11)



Given:  $m\angle 2 = 2(m\angle 1)$

Prove:  $m\angle 1 = 60^\circ$

12)

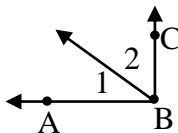


Given:  $\overline{AD}$  bisects  $\angle BAC$

$\angle 1 \cong \angle 3$

Prove:  $\angle 2 \cong \angle 3$

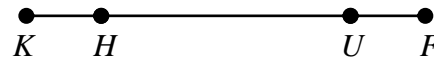
13)



Given:  $\angle ABC$  is a right angle

Prove:  $\angle 1$  and  $\angle 2$  are complementary

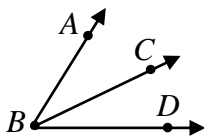
14)



Given:  $KU = HF$

Prove:  $\overline{KH} \cong \overline{UF}$

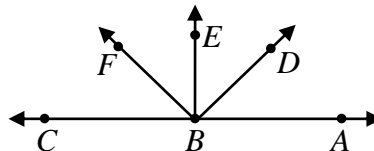
15)



Given:  $m\angle ABC = m\angle CBD$

Prove:  $\overline{BC}$  is the angle bisector of  $\angle ABD$

16)



Given:  $m\angle ABE = m\angle CBE$

Prove:  $\angle ABD$  and  $\angle DBE$  are complementary